

Magnetized turbulence, accretion and outflows.

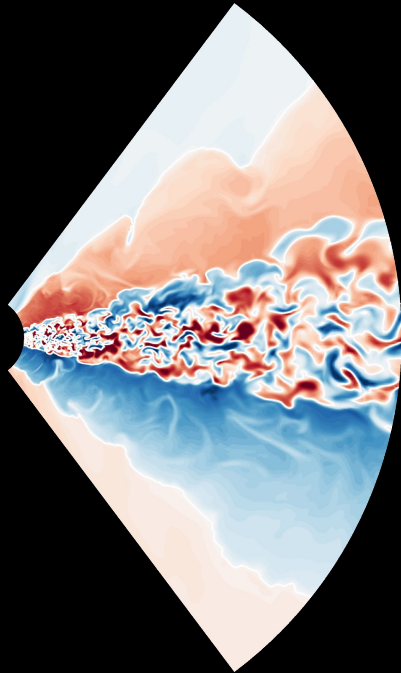
Collaborators:

S. Tchekhovskoy

J. Ferreira

G. Lesur

M. Liska



Jonatan Jacquemin-Ide

Northwestern

C I E R A

CENTER FOR INTERDISCIPLINARY EXPLORATION
AND RESEARCH IN ASTROPHYSICS

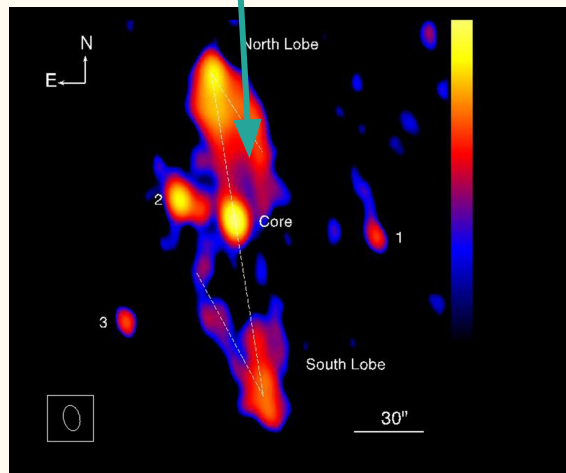


Accretion and ejection signatures from X-ray Binaries



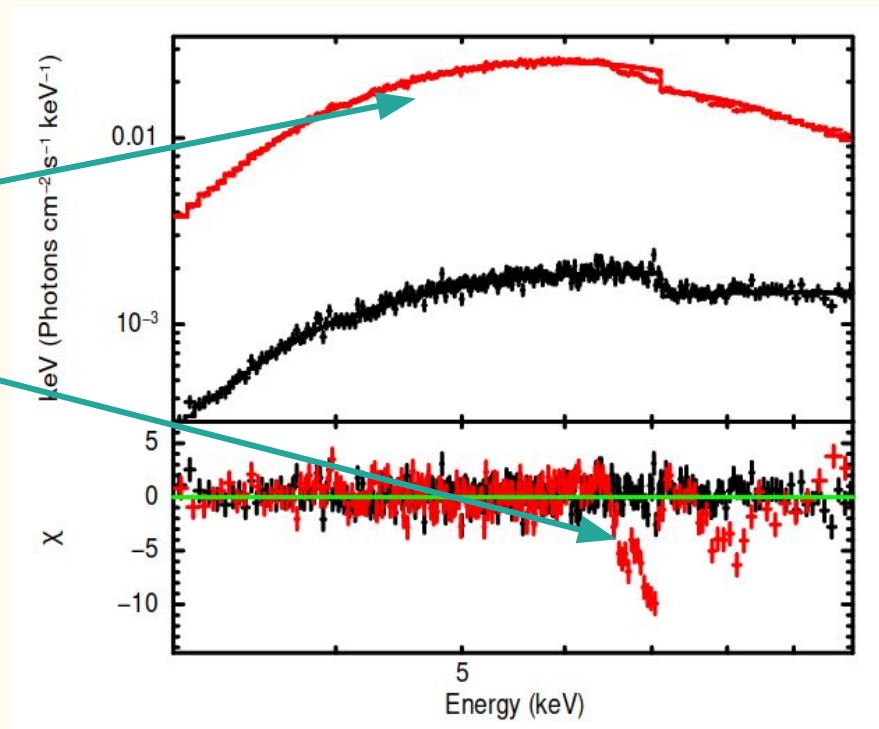
1. A binary system with a star and a compact object.
2. The compact object is surrounded by an accretion disk.
3. The inner regions of the accretion disk emit jets and winds.

Accretion and ejection signatures from X-ray Binaries



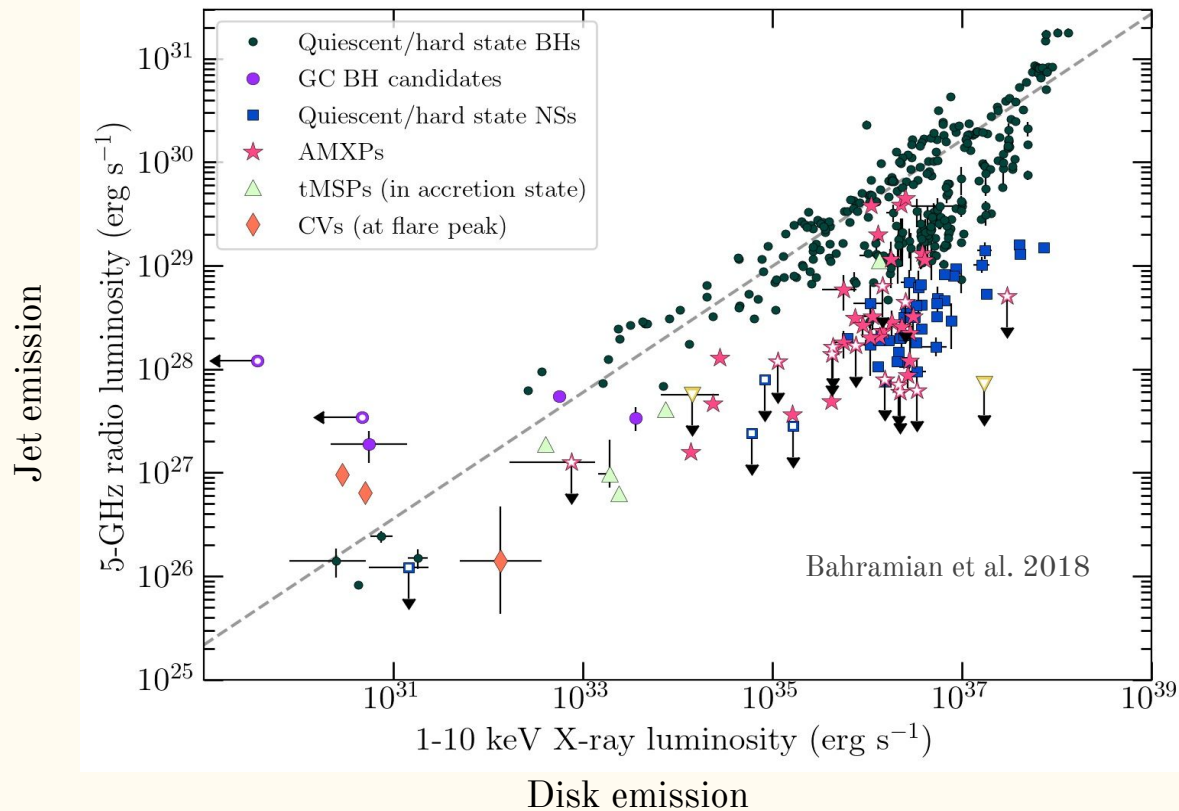
Marti et al. 2017

GRS 1758-258



Ponti et al. 2015

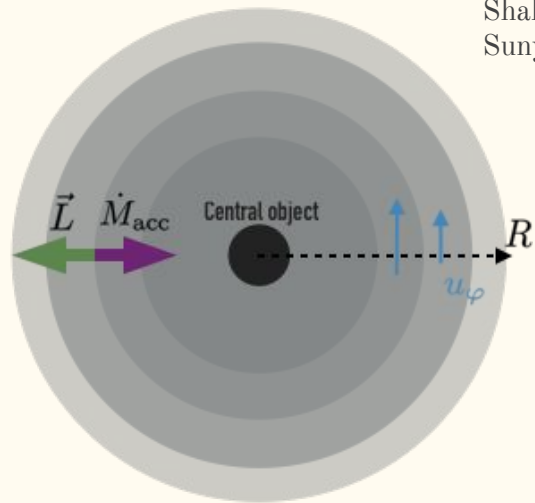
Correlation between accretion and ejection



Two torques

Turbulent torque

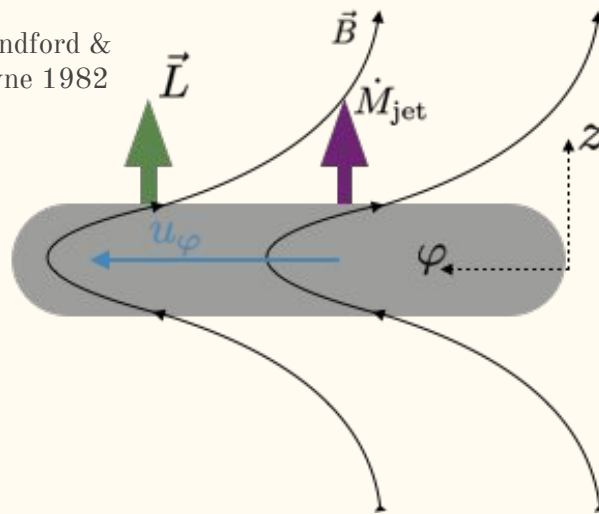
Shakura &
Sunyaev 1973



Driven by the Magneto Rotational
Instability (MRI) Balbus & Hawley
1991

Laminar torque

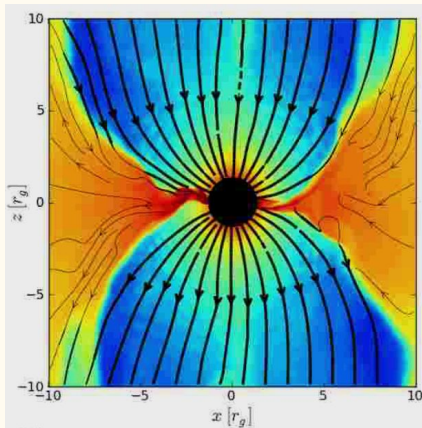
Blandford &
Payne 1982



Requires a large scale magnetic field
and a magnetic diffusivity

$$\dot{M}_{acc} \simeq \frac{4\pi}{\Omega_K} (\mathcal{T}_{tu} + \mathcal{T}_{la})$$

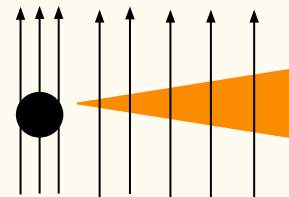
The large scale magnetic field



McKinney et al. 2012

A large scale magnetic field threading the **disk** is needed for producing **jet-like outflows**.

However, there is no reason why the magnetic field would be perpendicular to the plane of the **disk**.



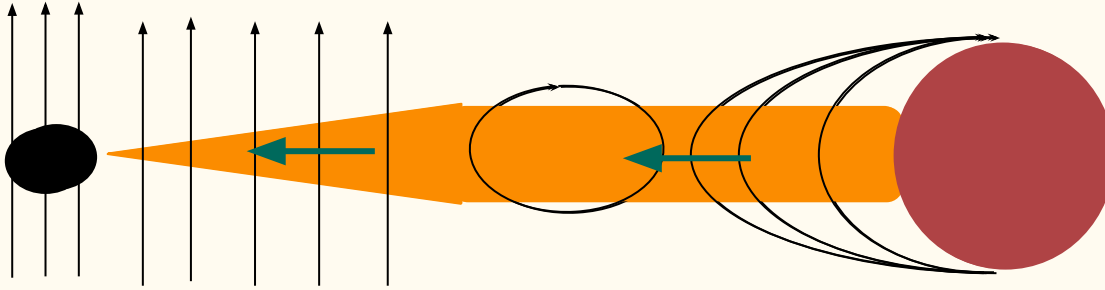
1

The magnetic field is advected from the secondary into the accretion disk.

2

The magnetic field is generated within the accretion disk.

Large scale field is advected from the secondary



Competition between **accretion** of the field lines and **diffusion** due to the **turbulence**

The **magnetic field** could be provided by the stellar dipole. The **overflow advection** is not **trivial**.

Once it reaches the disk, GRMHD simulations suggests that **advection** is a robust process.

Tchekhovskoy et al. 2011
Mckinney et al. 2012

Problems:

- What happens with a **weaker magnetic field**?
- What happens if the advected magnetic field is **toroidal, parallel** to the disk plane.

Method and simulations for weak field

$\log \rho$

We solve ideal MHD
equations using PLUTO

Mignone et al. 2007

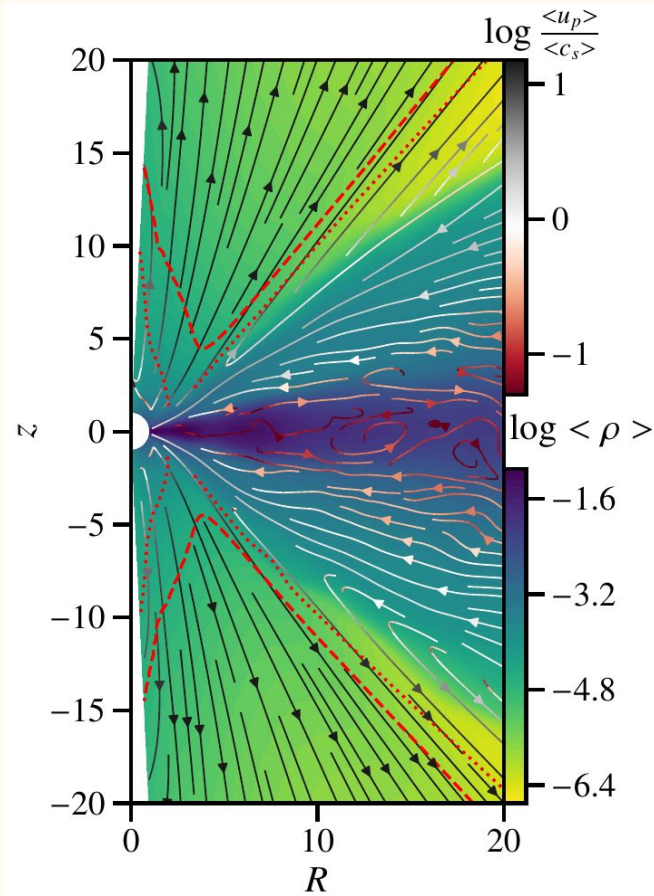
Initial conditions

- Hydrostatic Keplerian disk
- Locally isothermal
- Large scale magnetic field
threading the disk.
- We start with a weak
magnetic field.

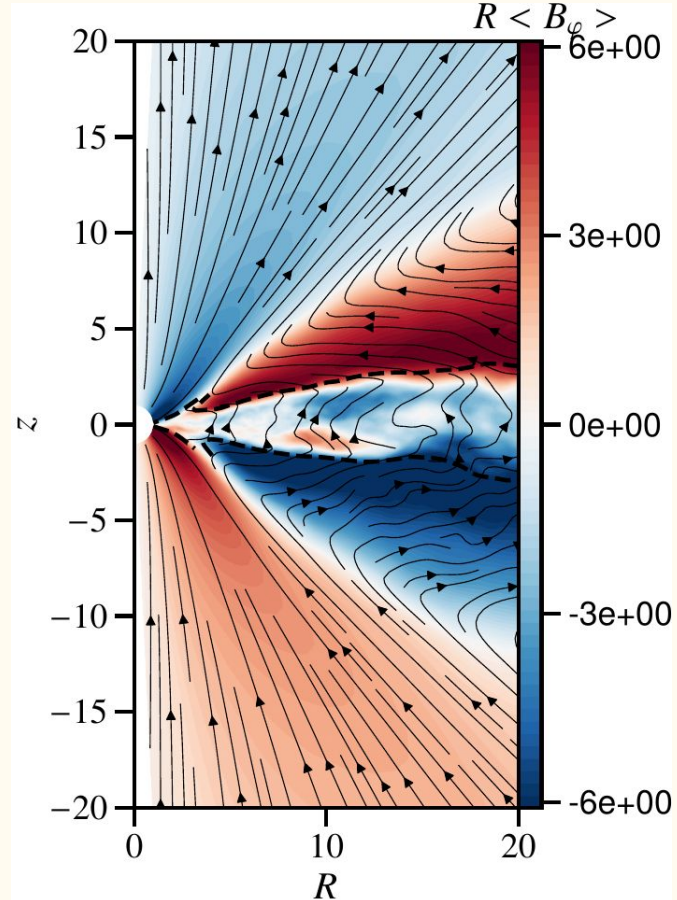
$$\beta = \frac{P_{gas}}{P_{mag}} = 10^3$$



Vertical structure of weakly magnetized disk



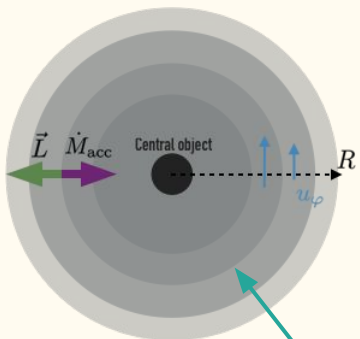
$$\beta = 10^3$$



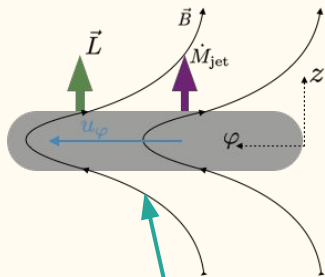
Jacquemin-Ide
et al. 2021

Turbulent structure

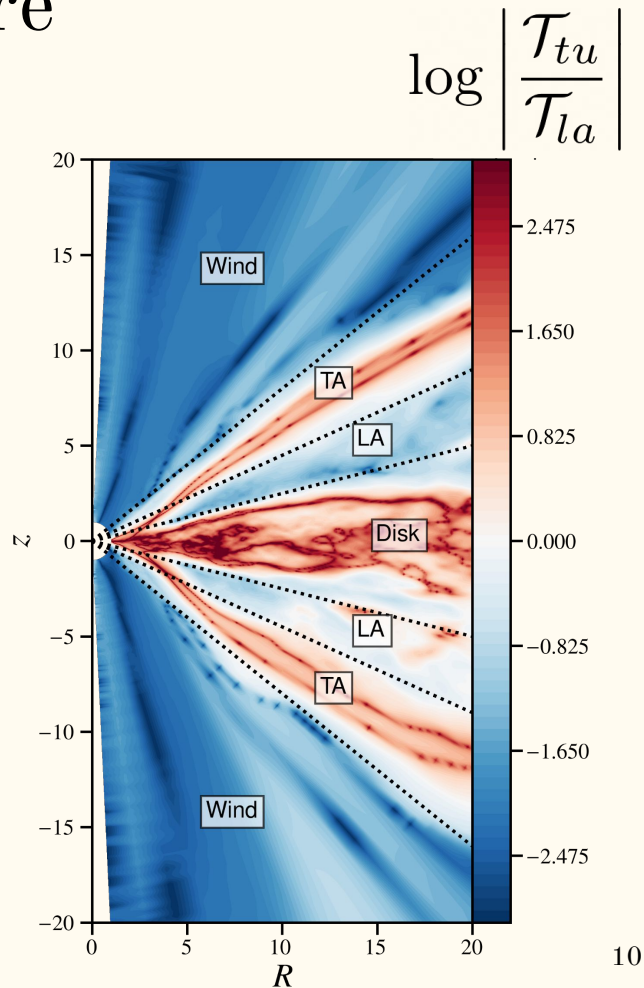
Turbulent torque



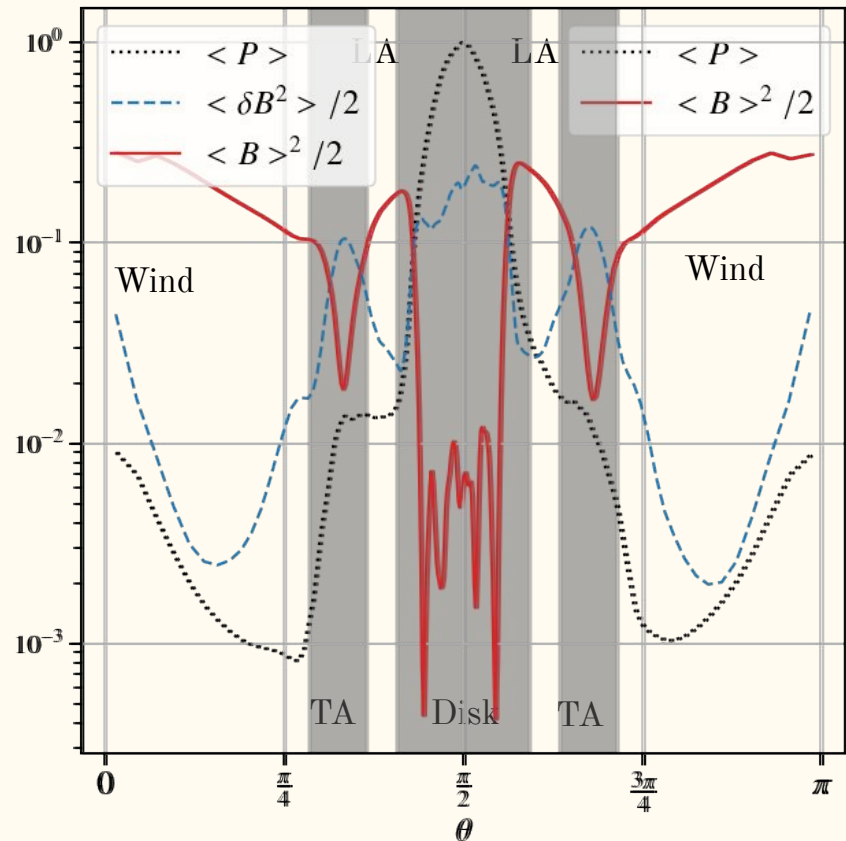
Laminar torque



$$\dot{M}_{acc} \simeq \frac{4\pi}{\Omega_K} (\mathcal{T}_{tu} + \mathcal{T}_{la})$$



The role of turbulent pressure



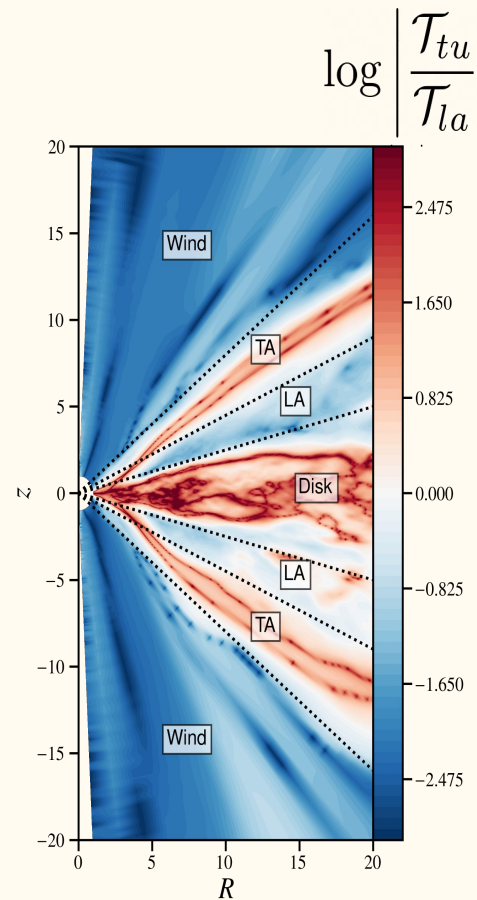
$$\langle B \rangle^2$$

Laminar magnetic pressure
compresses the disk and
supports the **turbulent**
 atmosphere

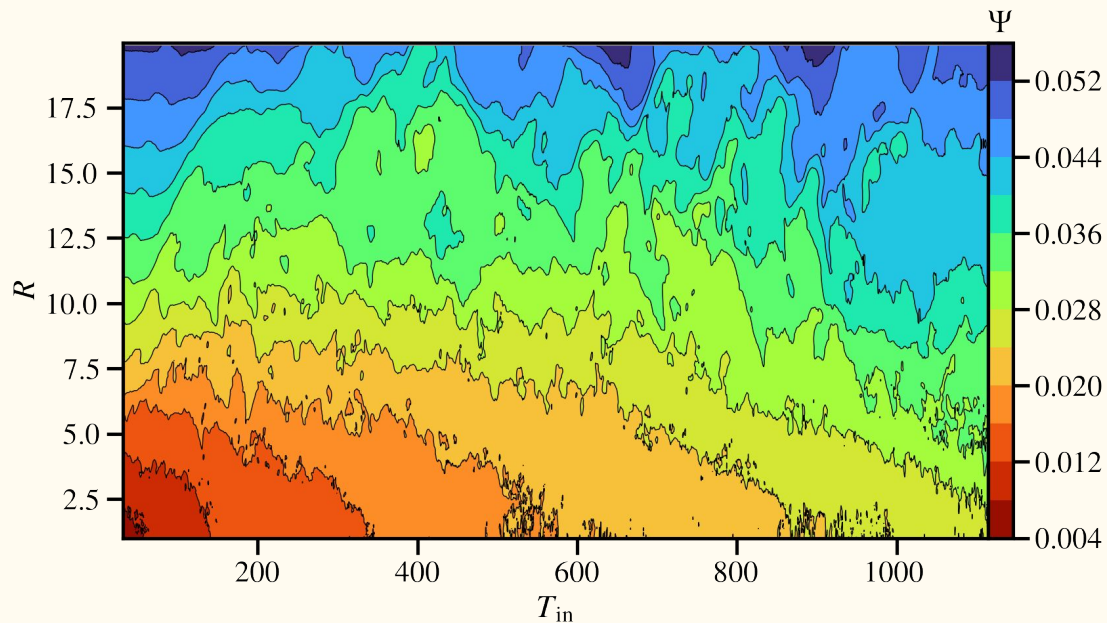
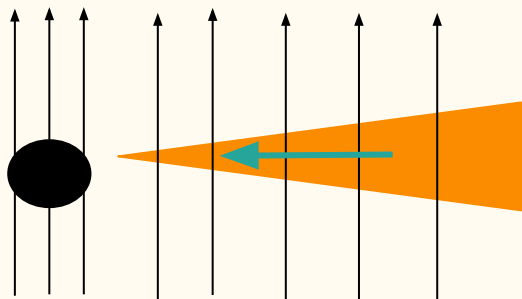
$$\langle \delta B^2 \rangle$$

Supplementary turbulent
 magnetic pressure
decompresses the **disk** and
 atmosphere.

Usually not included in 2D
 effective models (see
 however Begelman et al 2015)



Advection of magnetic flux



Every contour represents a **magnetic field line**

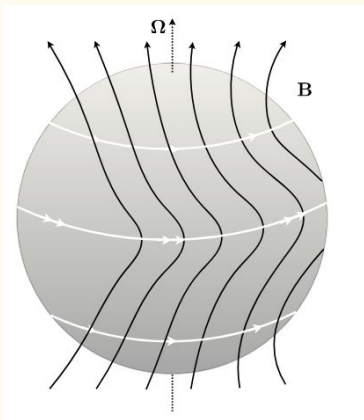
The **magnetic field** is **advected** even when it is **initially weak**.

The **inner regions** of this simulation will eventually become **MAD**

A dynamo mechanism for accretion disks?

A dynamo is a **positive feedback loop** between the **radial and toroidal field**

The classical dynamo:



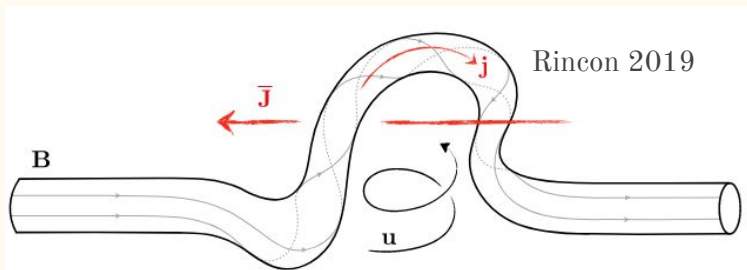
Rincon 2019

Convection and/or turbulence lead to the **alpha effect**.

Advection leads to the **omega effect**

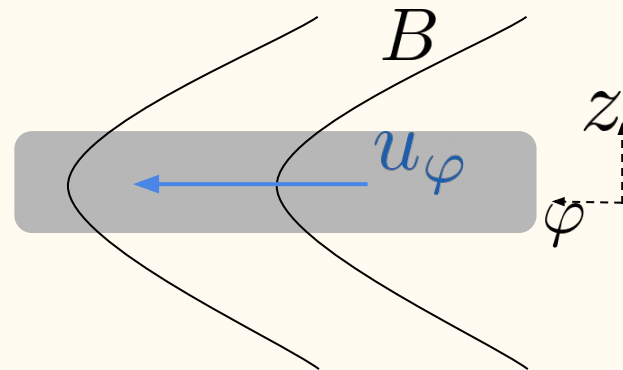
Poloidal becomes toroidal.

Toroidal becomes poloidal.



Rincon 2019

The accretion disk dynamo:



MRI turbulence could lead to some kind of **alpha effect**

Method and simulations for dynamo $R\langle B_\varphi \rangle$

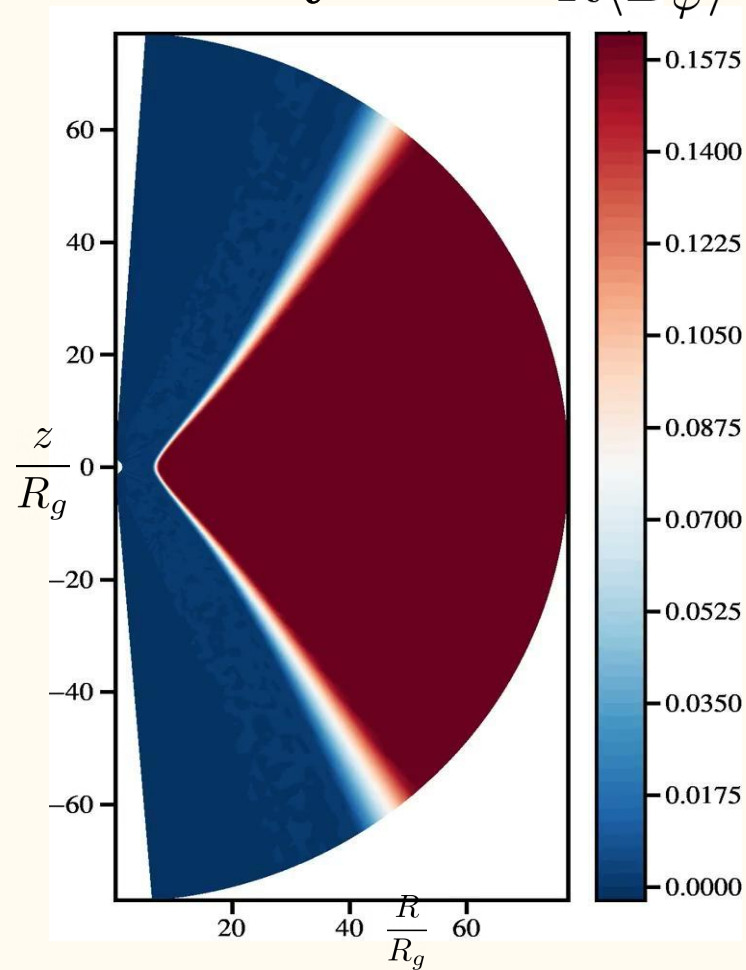
I re-analyzed the simulation from Liska et al. 2020. To try to better understand the **dynamo-like** mechanism.

We solve ideal GRMHD equations using H-AMR

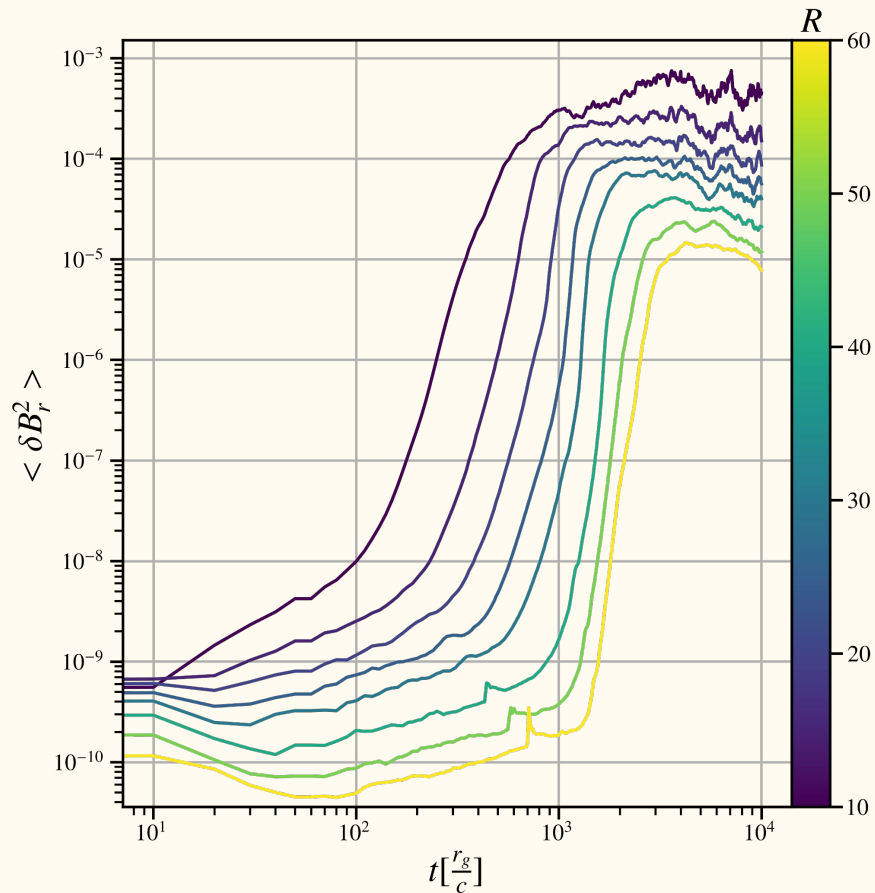
Liska et al. 2018

Initial conditions

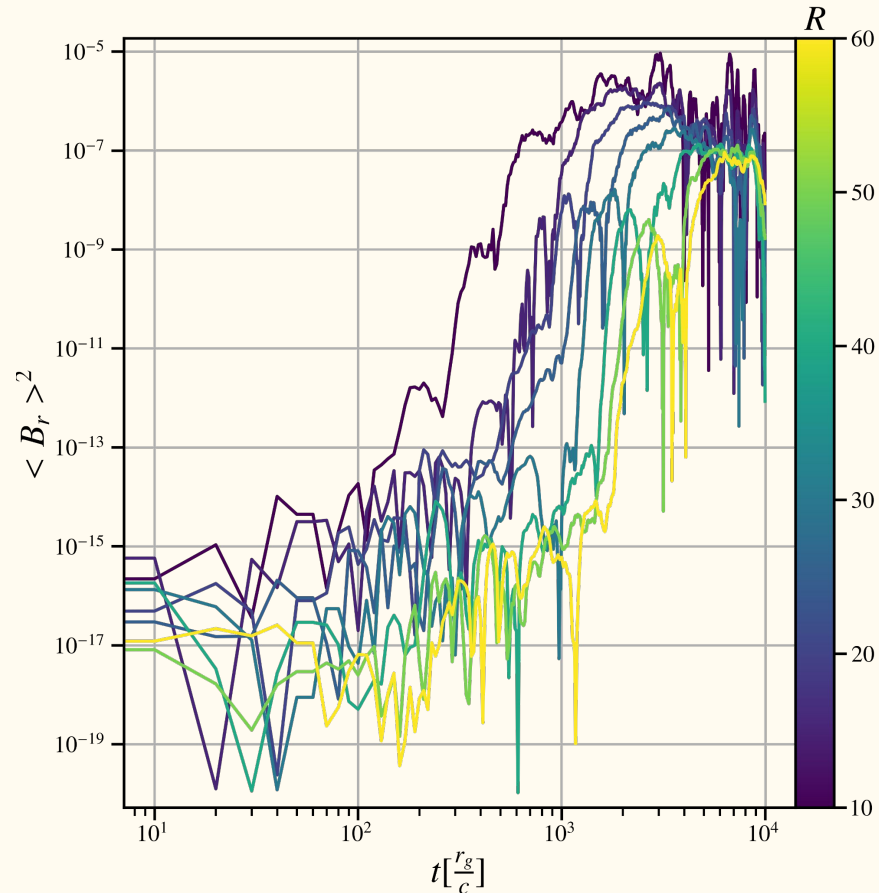
- Hydrostatic torus
- Adiabatic
- Large scale magnetic field that is purely toroidal



Turbulent vs average radial magnetic energy

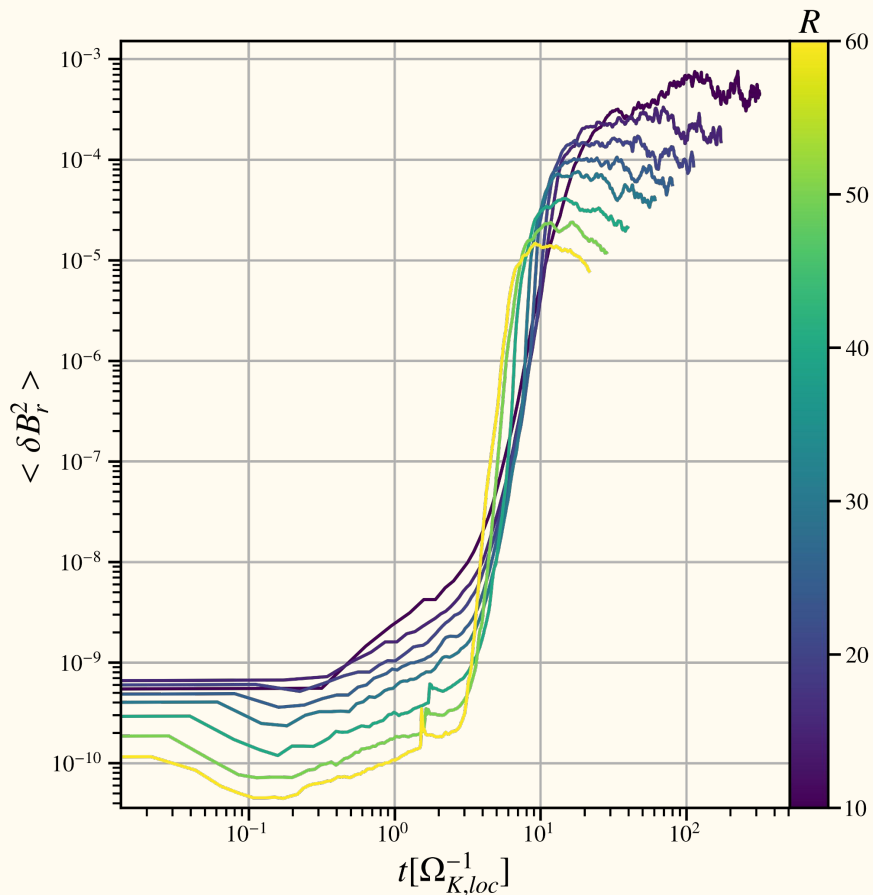


Different growth rates at different radii is a signature of **MRI**

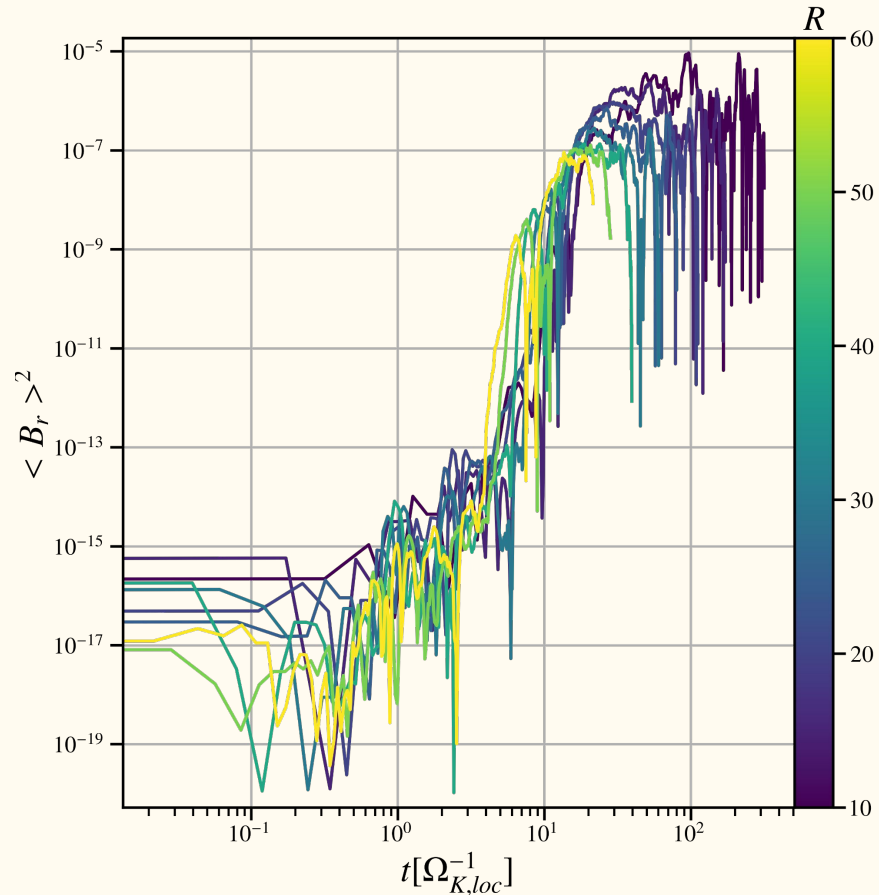


Growth but has **non-linear** features

Turbulent vs average radial magnetic energy

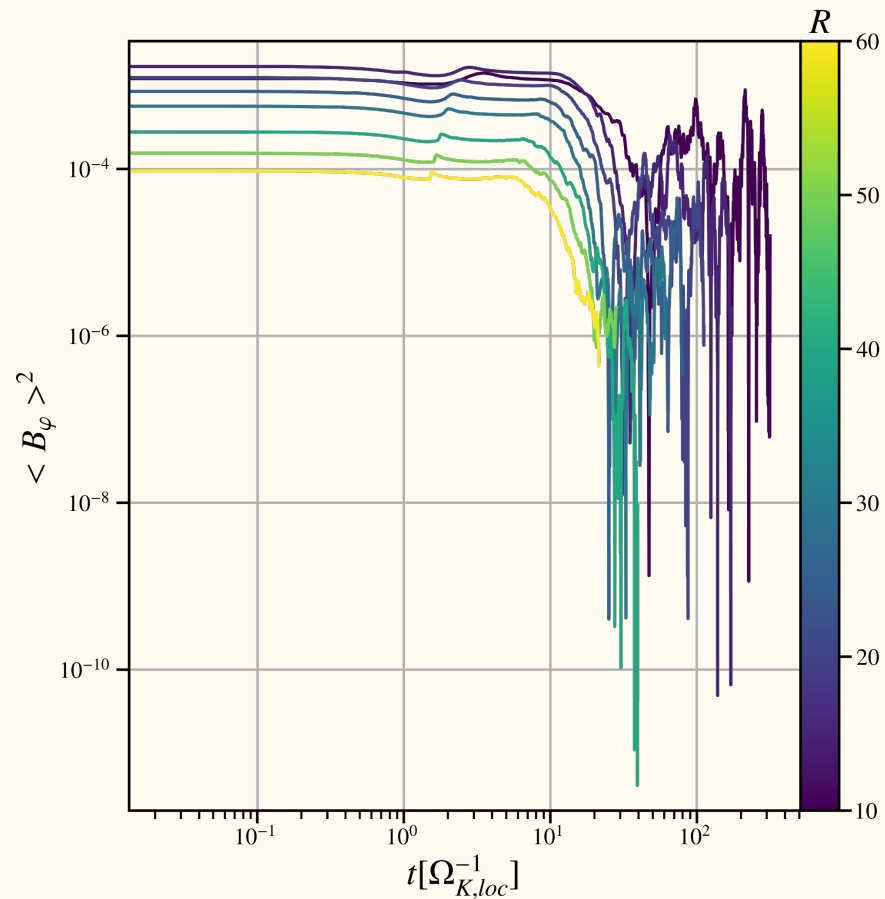
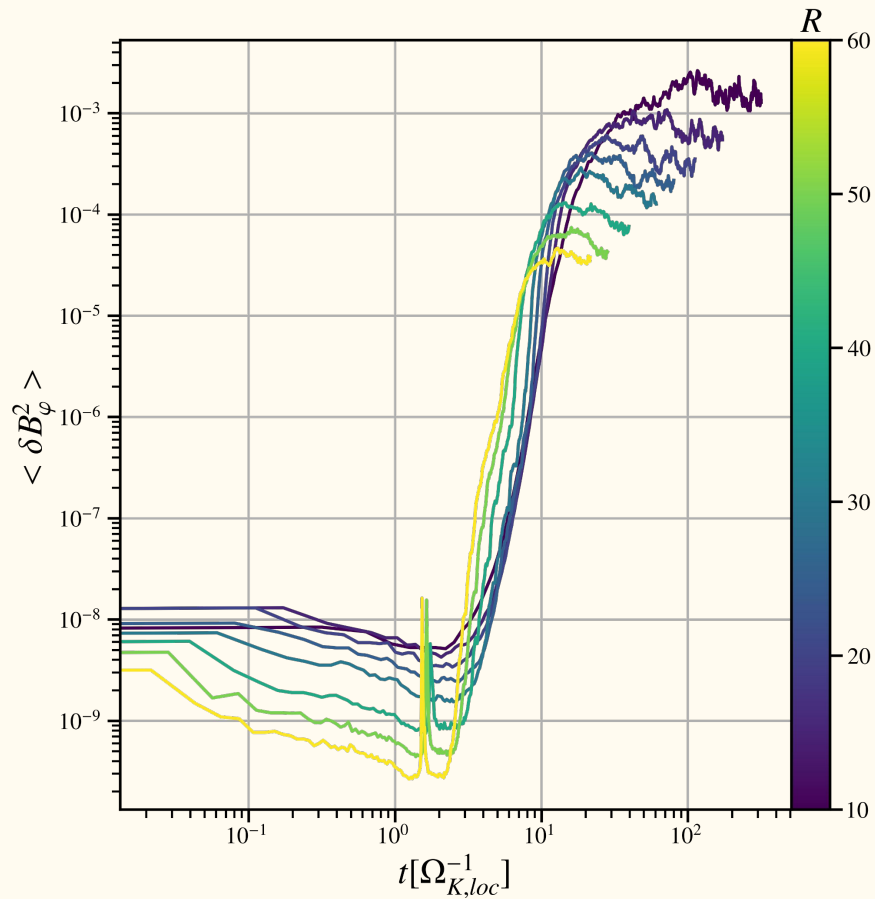


We recover the MRI timescale



Same time-scale as the MRI, Non-linear dynamo growth is driven by the MRI. 16

Turbulent vs average toroidal magnetic energy



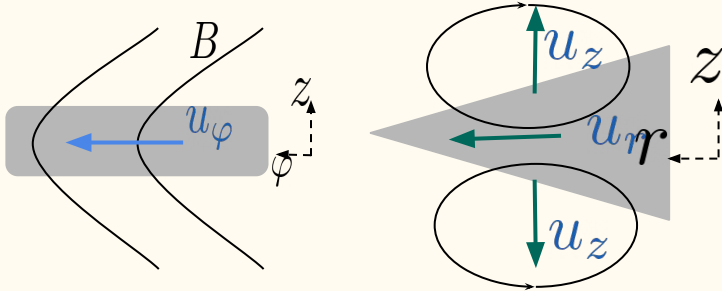
Energy now **decreases** instead of **increasing**.
Non-linear dissipation of the toroidal field.

Energy through advection or turbulence

$$\frac{1}{2} \partial_t \langle B_r \rangle^2 = \text{Advection} + \text{Turbulent}$$

$$\frac{1}{2} \partial_t \langle B_\varphi \rangle^2 = \text{Advection} + \text{Turbulent}$$

Advection



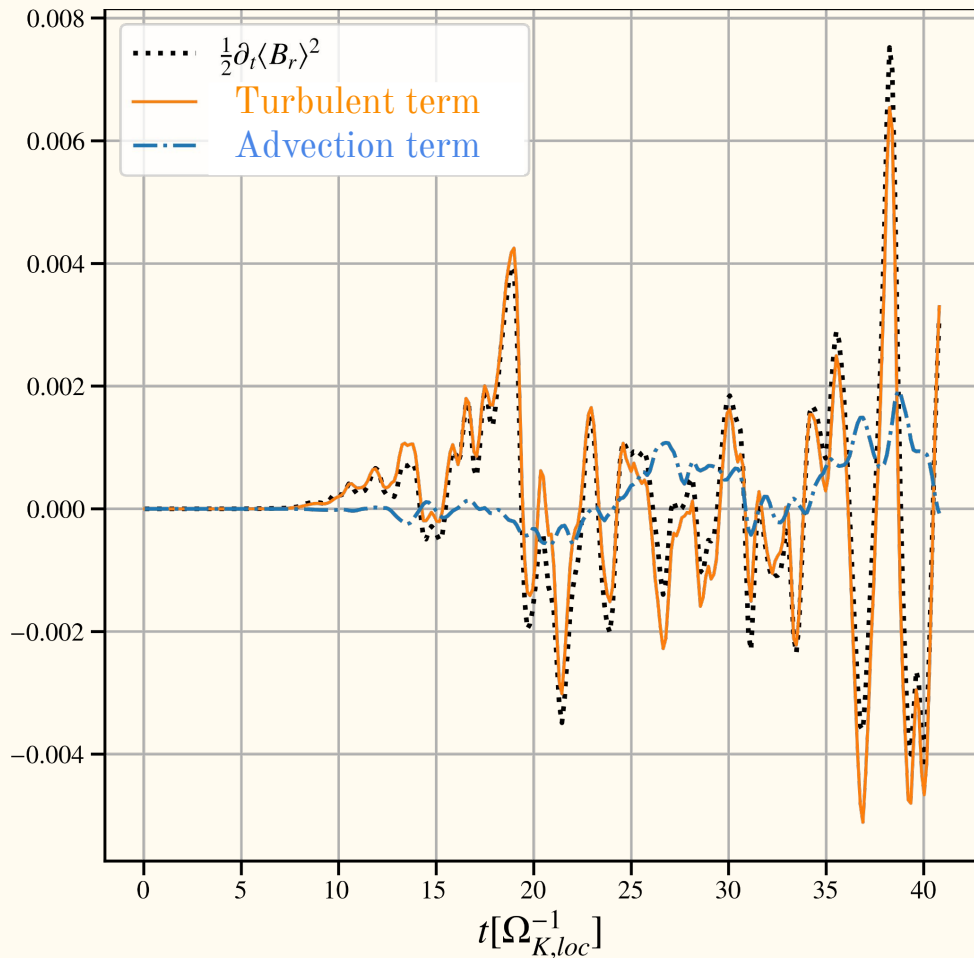
Advection is not limited to the **omega effect**.

Turbulent

The turbulent term can have different kinds of behavior:

- It can **dissipate magnetic energy**. It acts as a **turbulent resistivity**.
- It can **transfer/create magnetic energy**. In this case it acts as an **alpha term** (in the simplest case)

Radial energy transfer



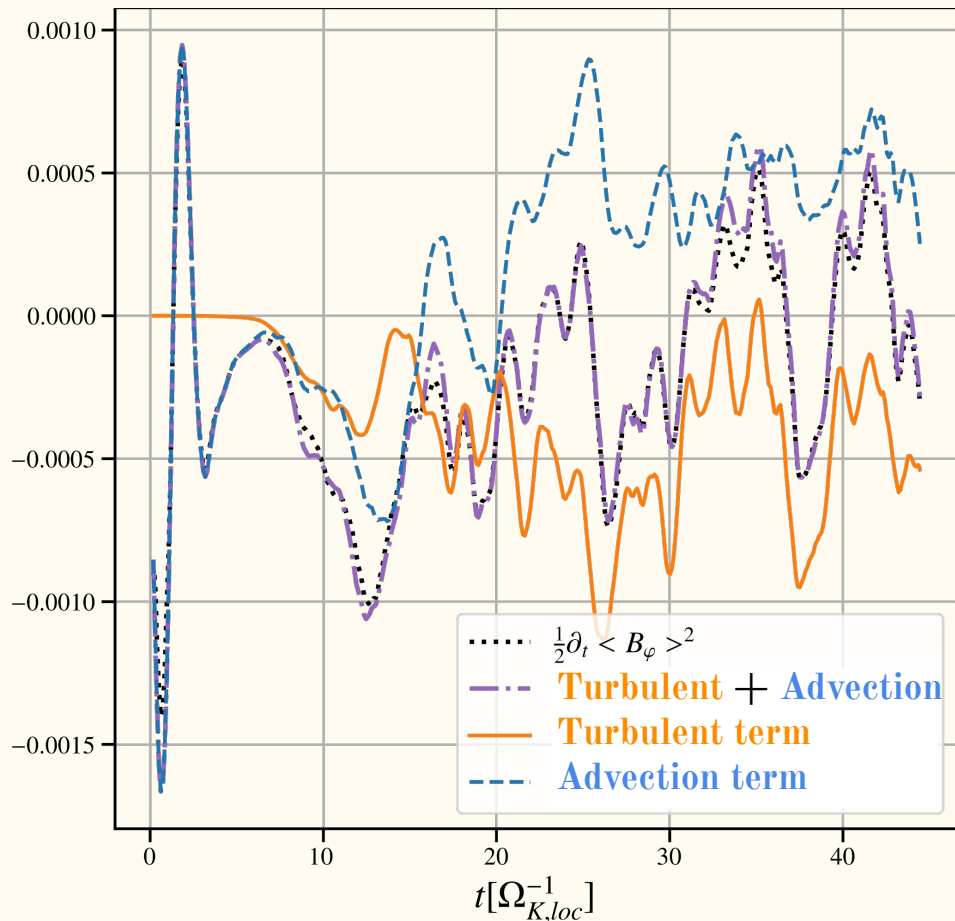
This energy transfer is fully dominated by the **turbulent term**. The **advective term** is negligible

We see **it** grow linearly until it dominates the energy exchange.

This **turbulent term generates** and **dissipates** radial magnetic energy! It performs both jobs!

This means that the turbulent EMF is complex and consist of multiple terms.

Toroidal energy transfer



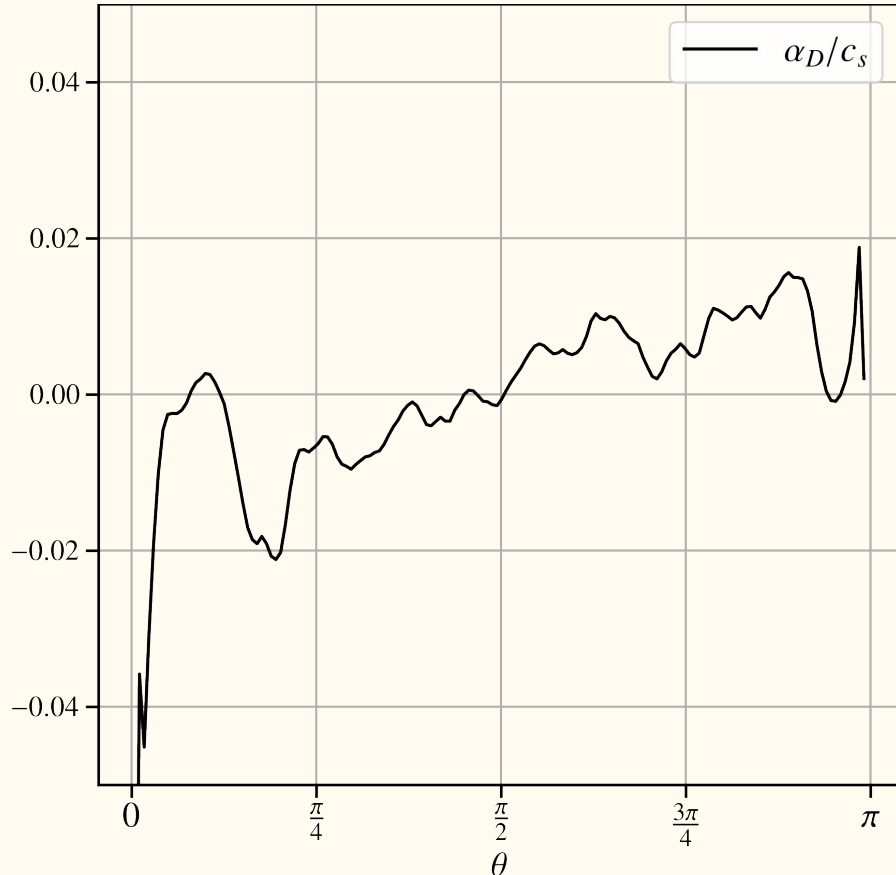
The **turbulent term dissipates** magnetic energy. While the **advective term generates** magnetic energy.

We also notice the linear growth of the **turbulent term**.

The **advective term** is dominated by the **omega effect**

This means that this EMF could be modeled as a simple resistivity!

First signs of an alpha omega dynamo



An dynamo **alpha model** seems to capture the behavior of the system.

Our computation is consistent with shearing box simulations.

Brandenburg 1995, Davis et al. 2010,
Hogg and Reynolds 2018

First measurement of **alpha** in **fully global GRMHD** simulations.

However, this is still work in progress as we are ignoring the **dissipation** terms and other kinds of terms. Gressel and Pessah 2016

$$\mathcal{E}_\varphi = \alpha_{\varphi\varphi} \langle B_\varphi \rangle + \dots$$

Conclusions & perspectives

1

The structure of **weakly magnetized** accretion disk is linked to **MRI turbulence** and to the role of the **turbulent magnetic pressure**.

2

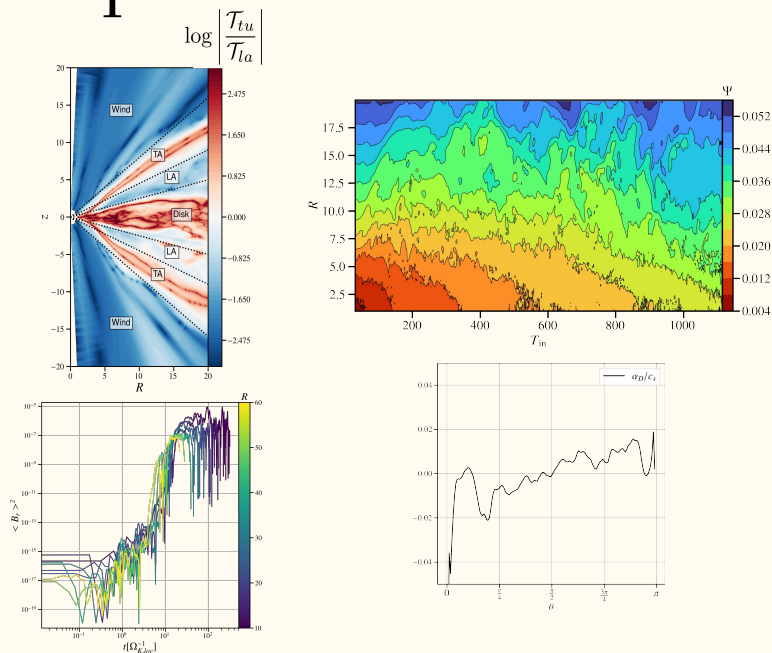
Weakly magnetized disk also **advect** their **poloidal magnetic field**.

3

A **dynamo-like MRI-driven** mechanism can flip the **magnetic field** direction and lead to a **poloidal field**. It appears consistent with an **alpha omega dynamo**

4

The existence of a **poloidal field** in X-ray binaries seems to be more robust than what was once thought.



1

Do thin disk **transport magnetic flux** as efficiently?

2

Does the **dynamo-like** mechanism depend strongly on initial conditions?

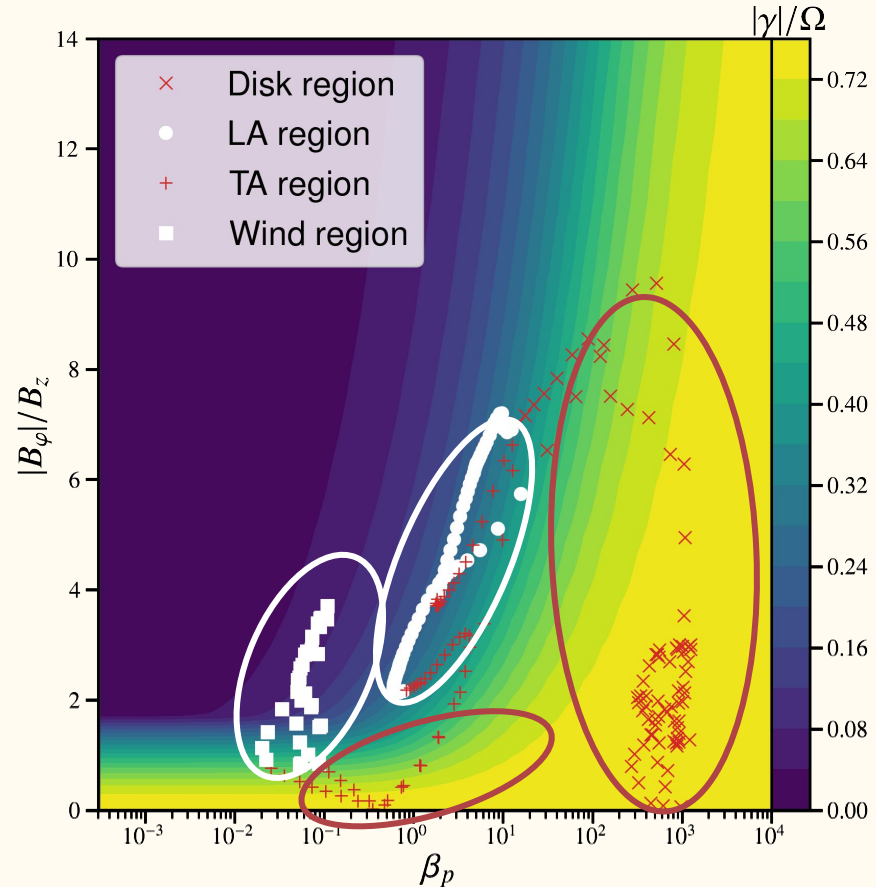
The disappearance of MRI turbulence

MRI exists for all values of β_p as long as the wavelength is large enough.

However, for small values of β_p the MRI disappears no matter the wavelength.

$$\beta_p \rightarrow 0$$

$$\frac{\langle B_\varphi \rangle^2}{\langle B_z \rangle^2} > \frac{3}{4} \rightarrow \text{stability.}$$



Energy transfer from the induction equation

$$\frac{\partial \langle \mathbf{B} \rangle}{\partial t} = \nabla \times \left(\underbrace{\langle \mathbf{u} \rangle \times \langle \mathbf{B} \rangle}_{\text{Advection term}} + \underbrace{\mathcal{E}}_{\text{Turbulent EMF}} \right) \quad \Bigg| \quad \mathcal{E} = \langle \delta \mathbf{u} \times \delta \mathbf{B} \rangle$$

Advection term

The omega-effect is contained within it.

Turbulent EMF

Can be modeled in very different forms.

$$\frac{1}{2} \frac{\partial \langle B_r \rangle^2}{\partial t} = \langle B_r \rangle \nabla \times \left(\langle \mathbf{u} \rangle \times \langle \mathbf{B} \rangle + \mathcal{E} \right)_r$$

$$\frac{1}{2} \frac{\partial \langle B_\varphi \rangle^2}{\partial t} = \langle B_\varphi \rangle \nabla \times \left(\langle \mathbf{u} \rangle \times \langle \mathbf{B} \rangle + \mathcal{E} \right)_\varphi$$

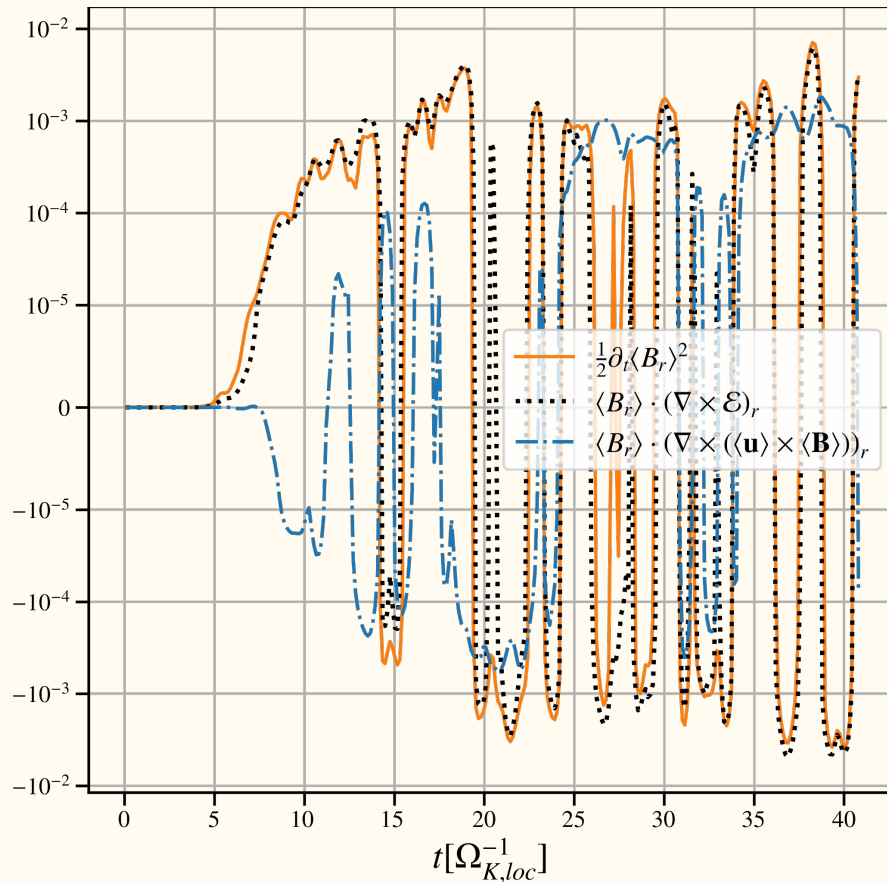
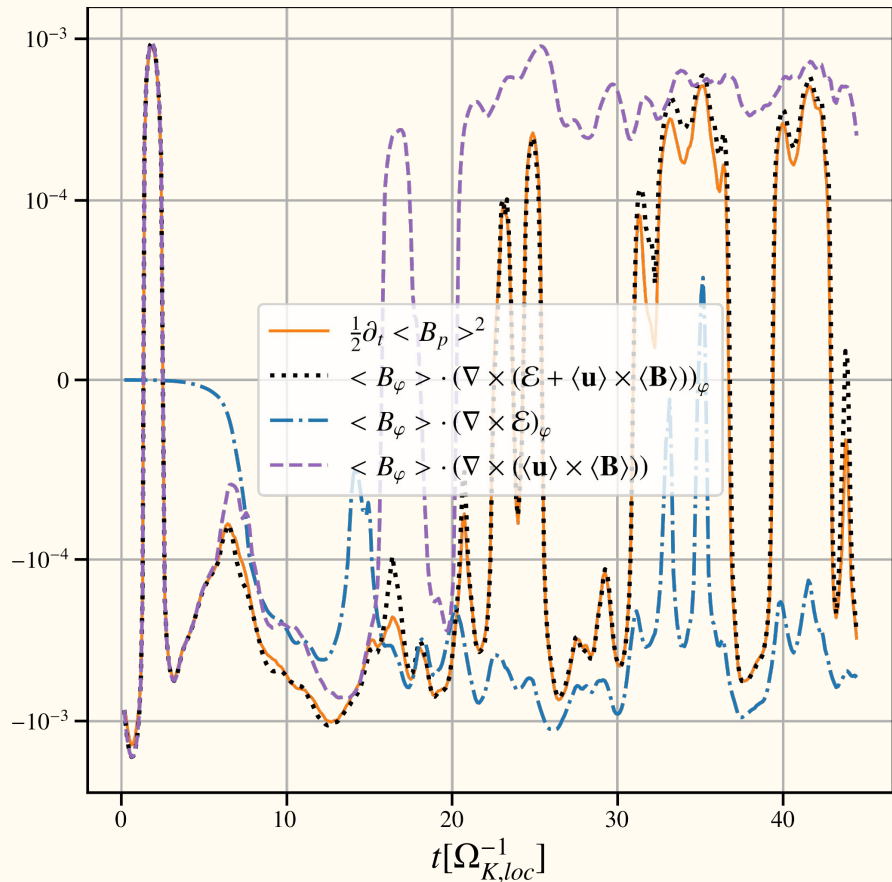
Turbulent source term

Energy can be **advected** from one component to another. Omega effect transforms the radial field into toroidal field.

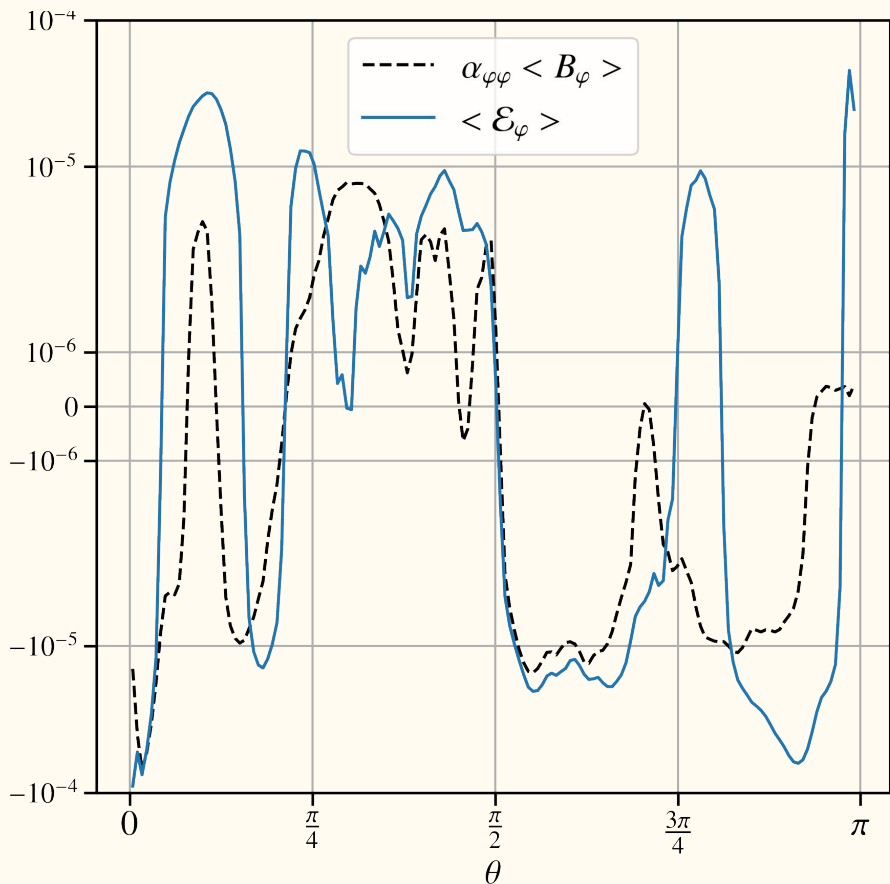
Net energy change

Advection term

Log for energy transfer



First signs of an alpha omega dynamo



$$\text{Model} \\ \mathcal{E}_\varphi \simeq \alpha_{\varphi\varphi} \langle B_\varphi \rangle$$

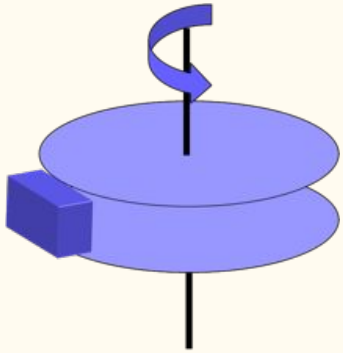
An dynamo **alpha model** seems to capture the **turbulent EMF**.

However, this is still work in progress as we are ignoring the **dissipation** terms.

$$\mathcal{E}_\varphi = \alpha_{\varphi\varphi} \langle B_\varphi \rangle + \dots$$

Three methods

Shearing box simulations



No outflow torque

Hawley et al. 1995

Outflow torque

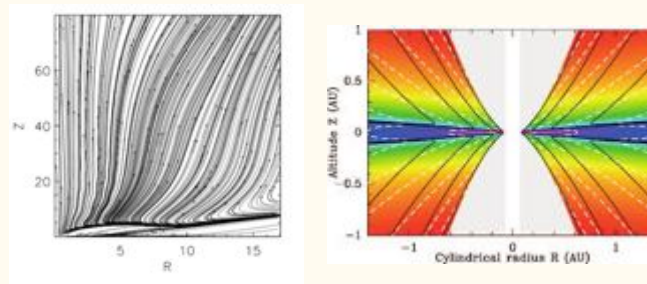
Suzuki and Inutsuka 2009

Ogilvie 2012

Lesur et al. 2013

Salvesen et al. 2016

Global 2D effective models



Semi-analytical

Ferreira & Pelletier 1995

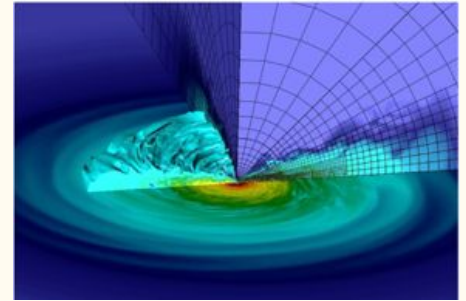
Ferreira 1997

2.5D simulations

Ferreira & Pelletier 1995

Ferreira 1997

3D global simulations



General Relativistic MHD

Tchekhovskoy et al. 2011

Mckinney et al. 2012

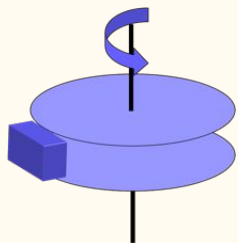
MHD

Zhu & Stone 2018

Mishra et al. 2020

Three methods

Shearing box simulations



No outflow torque

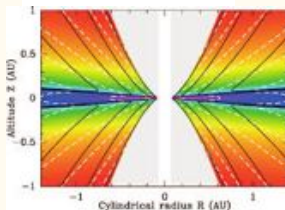
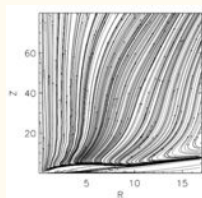
Hawley et al. 1995

Outflow torque

Suzuki and Inutsuka 2009
Ogilvie 2012
Lesur et al. 2013
Salvesen et al. 2016

- Accurately model the MRI-driven turbulence and its structure.
- Radial shear boundary conditions are well understood
- The computed outflows are subject to several numerical biases

Global 2D effective models



Semi-analytical

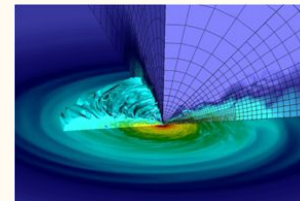
Ferreira & Pelletier 1995
Ferreira 1997

2.5D simulations

Ferreira & Pelletier 1995
Ferreira 1997

- Numerically cheap
- Captures the properties of the outflow
- Depend of ad-hoc closure of the turbulent structure

3D global simulations



General Relativistic MHD

Tehekovskoy et al. 2011
Mckinney et al. 2012

MHD

Zhu & Stone 2018
Mishra et al. 2020

- Accurately model MRI-driven turbulence and its structure.
- Capture properties of the outflow
- Highly expensive

Correlation of torque and magnetic field

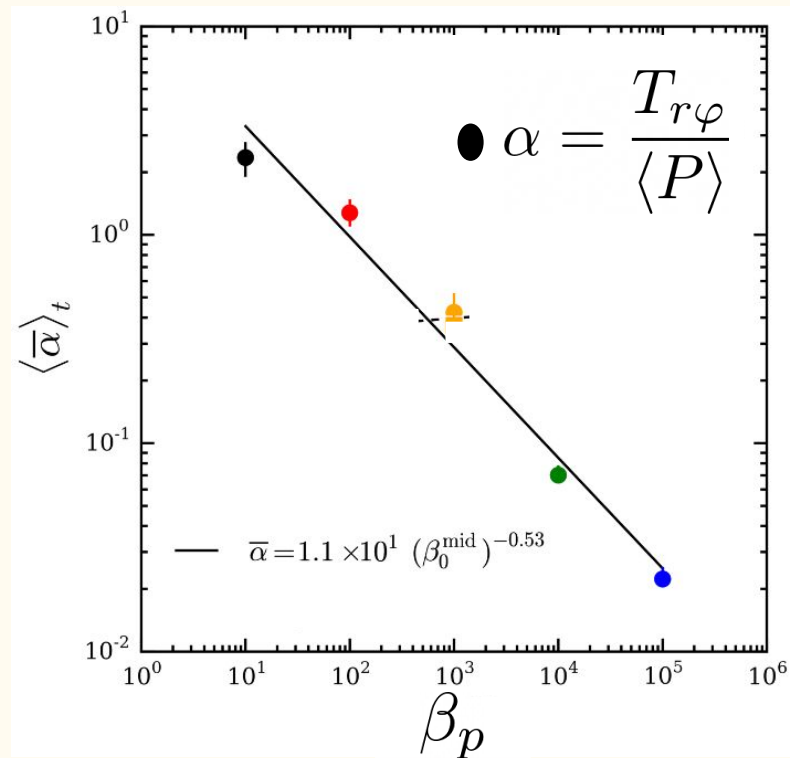
Salvesen et al. 2016

The strength of the turbulent torque depends on the plasma beta

$$\beta_p = 8\pi \frac{\langle P \rangle}{\langle B \rangle^2}$$

$$\nu_t = \alpha_\nu c_s h$$

However, the strength of the magnetic field is very hard to measure in observations.



Better models to compare with observations

beta is unknown
 β_p



Expensive 3D global simulations are hard to compare with observations.

Simple or ad-hoc models are still predominant when comparing with observations.

Shakura &
Sunyaev 1973

There is a need for better accretion disk models:

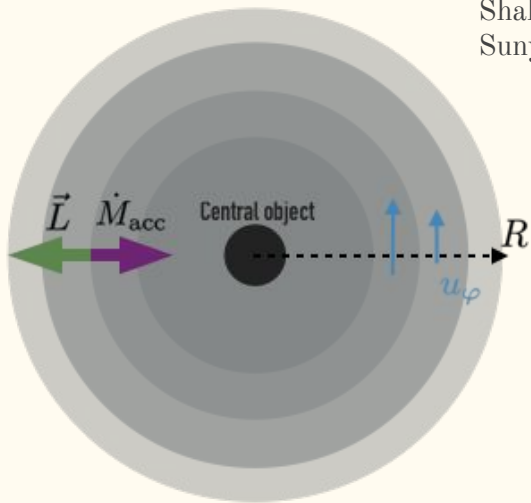
- Numerically cheap.
- It needs to capture the properties of the outflows.
- The turbulent structure is coherent with 3D models.

First we need to understand the effects of turbulence on the large scale structure.

Two torques

Turbulent torque

Shakura &
Sunyaev 1973

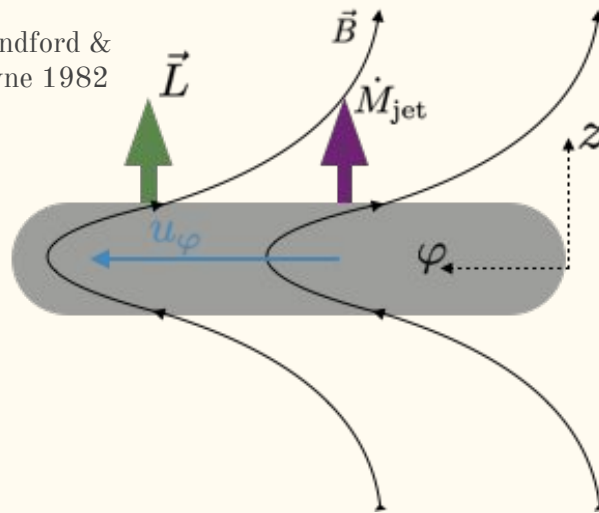


Driven by the Magneto Rotational
Instability (MRI) Balbus & Hawley
1991

$$\nu_t = \alpha_\nu c_s h$$

Laminar torque

Blandford &
Payne 1982



Requires a large scale magnetic field
and a magnetic diffusivity

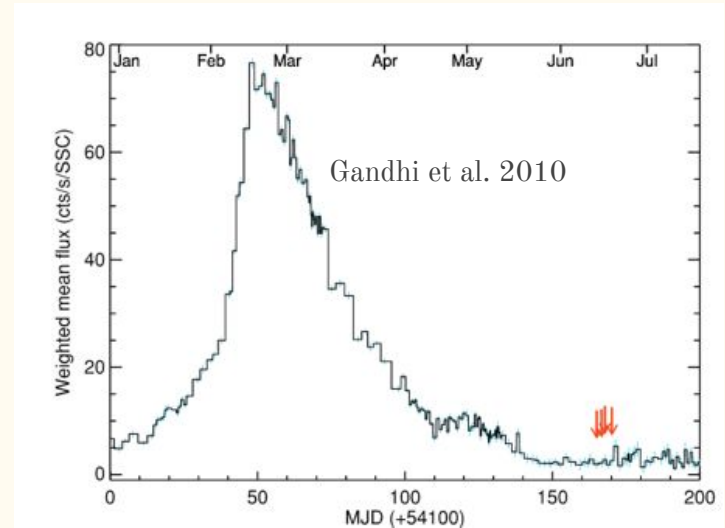
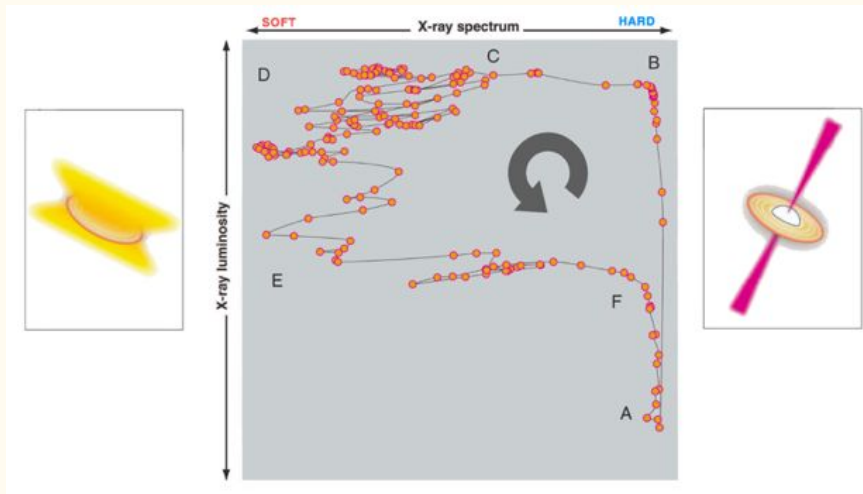
This magnetic diffusivity could be
driven by the MRI or a molecular non
ideal effect

Ferreira & Pelletier 1993

Wardle & Koenigl
1993

X-ray binary outburst

Incredible outburst were their luminosity changes by several orders of magnitude.



During this outburst the spectrum changes significantly. This happens on very long time scales.